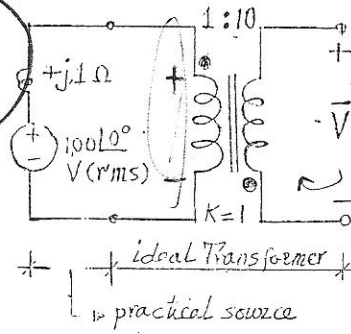


Q1. (D problem)

\bar{V} equals:

- a) $100 \angle 180^\circ$ V (rms)
- b) $10 \angle 0^\circ$ V (rms)
- c) $10 \angle -180^\circ$ V (rms)
- d) $1000 \angle 0^\circ$ V (rms)**
- e) $1000 \angle 180^\circ$ V (rms)

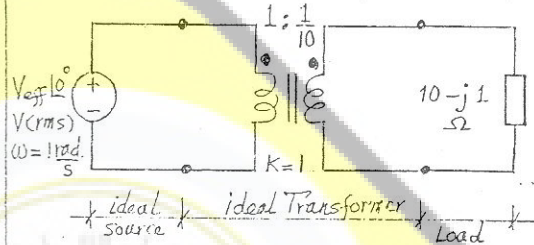
$\frac{15}{25}$



Q2. (C problem)

The impedance seen by the source consists of:

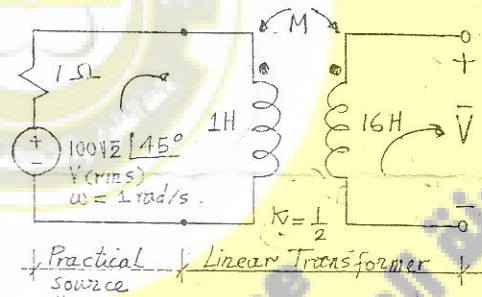
- a) $R = 1k\Omega$ in series with $C = 10mF$**
- b) $R = 0.1\Omega$ in series with $C = 100F$
- c) $R = 100\Omega$ in series with $C = 100mF$
- d) $R = 1\Omega$ in series with $C = 10F$
- e) $R = 1000\Omega$ in series with $L = 100H$



Q3. (B problem)

\bar{V} equals:

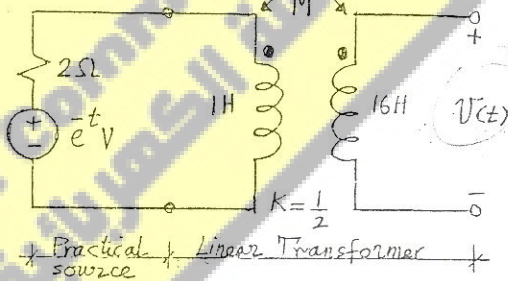
- a) $100\sqrt{2} \angle 90^\circ$ V (rms)
- b) $100 \angle 0^\circ$ V (rms)
- c) $200 \angle +90^\circ$ V (rms)**
- d) $100 \angle +45^\circ$ V (rms)
- e) $200 \angle -45^\circ$ V (rms)



Q4. (B problem)

$V(t)$ equals:

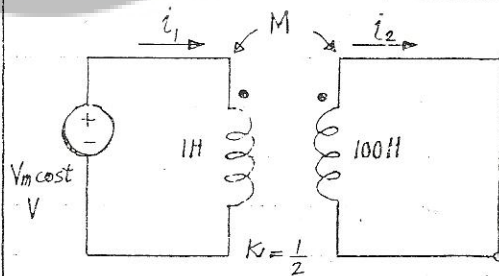
- a) $+4e^{+t}$ V
- b) $-2e^{-t}$ V**
- c) $+2e^{-t/2}$ V
- d) $+e^{-t}$ V
- e) $-e^{-t}$ V



Q5. (A problem)

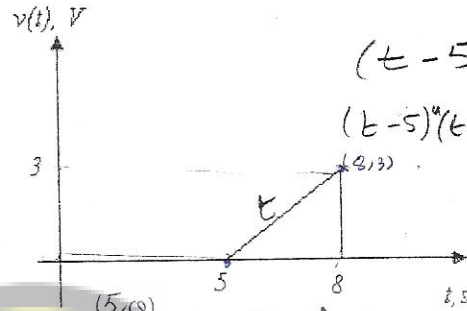
The ratio \bar{I}_1 / \bar{I}_2 equals:

- a) $10 \angle -30^\circ$
- b) $10 \angle 30^\circ$
- c) $20 \angle -90^\circ$
- d) $20 \angle 0^\circ$**
- e) $20 \angle 90^\circ$



Q6) The Laplace transform of the voltage waveform shown is:

- a. $V(s) = \frac{1}{s^2}(e^{-5s} - e^{-8s}) - \frac{3}{s}e^{-8s}$
- b. $V(s) = \frac{1}{s^2}(e^{-5s} - e^{-8s})$
- c. $V(s) = \frac{1}{s^2}(e^{5s} - e^{8s}) - \frac{3}{s}e^{8s}$
- d. $V(s) = \frac{1}{s^2}(e^{5s} - e^{8s})$



$$(t-5)[u(t-5) - u(t-8)] + (t-5)(t-5) - (t-5)u(t-8) - (t-8+3)u(t-8) - (t-8)u(t-8) + 3u(t-8)$$

Q7) For the circuit shown V(s) is:

- a. $\frac{100}{s(s+5)}$
- b. $\frac{-100}{s(s+5)}$
- c. $\frac{20}{s+5}$
- d. $\frac{-20}{s+5}$



$$\frac{3-0}{8-5} = \frac{3}{3} = 1$$

Q8) The inverse Laplace transform for $F(s) = \frac{1}{s^2(s+1)}$ is:

- a. $f(t) = te^{-t}u(t)$
- b. $f(t) = (t + e^{-t})u(t)$
- c. $f(t) = (t + e^t)u(t)$
- d. $f(t) = (t - 1 + e^{-t})u(t)$

$$\frac{-1}{s} + \frac{20}{s} = \frac{-1+20}{s} = \frac{19}{s}$$

$$u(t-5) - 3u(t-8)$$

Q9) Given $F(s) = \frac{2s^3 - s^2 - 3s - 5}{s^3 + 6s^2 + 10s}$. $f(0^+), f(\infty)$ respectively are:

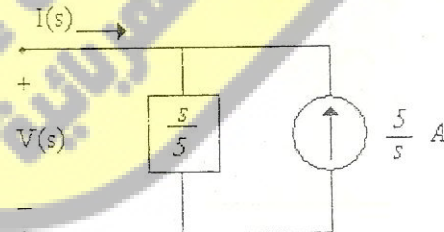
- a. -0.5, ∞
- b. $\infty, -0.5$
- c. $-\infty, \infty$
- d. 0, ∞

$$\frac{2s^3 - s^2 - 3s - 5}{s^2(s+10)}$$

$$\frac{s+1-s(s+1)+s}{s^2(s+10)}$$

Q10) The s-domain circuit model shown represents:

- a. $C = 5F, v_c(0) = 5V$
- b. $C = 0.2F, v_c(0) = 0.2V$
- c. $L = 0.2H, i_L(0) = -5A$
- d. $L = 0.2H, i_L(0) = 5A$



6

Q	1	2	3	4	5	6	7	8	9	10
Ans.	d	a	c	b	d	a	a	b	b	d

$$(2s-13) + \frac{55s+125}{s^2+6s+10}$$

$$\frac{2s^3 - s^2 - 3s - 5}{s^2 + 6s + 10}$$

$$2s^2 + 6s + 10$$

$$2s - 13$$

$$\frac{2s^3 - s^2 - 3s - 5}{s^2 + 6s + 10}$$

$$\frac{-13s^2 - 23s - 5}{s^2 + 6s + 10}$$

$$55s + 125$$

Jordan University of Science & Technology
Electrical Engineering Department
 2nd Examination

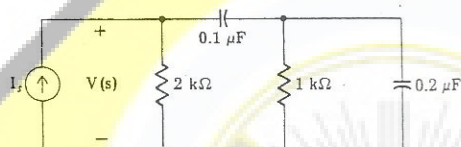
EE214

Circuits II

29 Jul. 2008

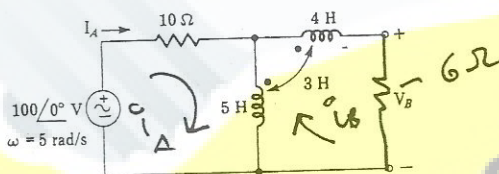
Q1 (10marks)

Find all the critical frequencies of the ratio $V(s)/I_s$, for the circuit shown, and sketch the magnitude of the ratio as a function of σ



Q2 (10marks)

- (a) Find I_A and V_B for the circuit illustrated in the following figure
- (b) Repeat if a 6Ω resistor is connected between the terminals at the right



Q3 (10marks)

Use several operational amplifiers in cascade to realize the transfer function $H(s) = V_{out} / V_{in} = 100 (s+100) / (s+1000)$