

Jordan University of Science and Technology
Department of Electrical Engineering
Satellite Communication Systems (EE558) 1st Exam

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Q1 A satellite is placed in a circular orbit with an orbital period of two hours. Calculate the height of the satellite above sea level and its velocity in Km/hr.

Q2

- a- What are three types of satellite orbits according to their heights?
- b- What are three types of satellite orbits according to their inclination?
- c- Define: apogee, inclination, ascending node, and retrograde orbit.
- d- What are the six keplerian orbital elements?

Q3 An earth station is located in Amman with a latitude of 32° N and a longitude of 36° E. Calculate the antenna look angles for an Arabsat at 26° E.

Q4 A 6 meters paraboloidal antenna has an illumination efficiency of 60 percent. Calculate the effective aperture, the power gain, and the half power beamwidth at 12 GHz.

Q5

- a- What are the three types of losses suffered by a satellite signal when it passes through earth atmosphere?
- b- What are the different types of polarization?
- c- What are the two types of double reflector antennas (draw)?
- d- Define: the polarization loss, offset feed, isotropic antenna, and cross polarization discrimination.

$$a^3 = \frac{\mu}{n^2}, \quad P = \frac{2\pi}{n}, \quad \mu = 3.986 \times 10^{14} \text{ m}^3/\text{s}^2$$

$$B = \phi_E - \phi_{SS}, \quad b = \arccos(\cos B \cos \lambda_E)$$

$$A = \arcsin\left(\frac{\sin |B|}{\sin b}\right)$$

$$R = 6370 \text{ Km}$$

$$a_{GS0} = 42164 \text{ Km}$$

$$E\ell = \arccos\left(\frac{a_{GS0} \sin b}{d}\right)$$

$$d = \sqrt{R^2 + a_{GS0}^2 - 2 R a_{GS0} \cos b}$$

$$A_{eff} = \eta A_{physical}, \quad G = \frac{4\pi A_{eff}}{\lambda^2}$$

$$G(\text{dish}) = \eta \left(\frac{\pi D}{\lambda}\right)^2, \quad \text{HPBW} = 70 \frac{\lambda}{D}^\circ$$

Q1 P = 2h

~~a^3 = \mu \left(\frac{P}{2\pi}\right)^2~~ a^3 = \mu \left(\frac{P}{2\pi}\right)^2

a^3 = 3.986 \times 10^{14} \left(\frac{2 \times 60 \times 60}{2\pi}\right)^2 = 5.234 \times 10^{20}

a = 8.06 \times 10^6 m = 8059 km

h = a - R = 8059 - 6370 = 1689 km

n = \frac{2\pi a}{P} = \frac{2\pi (8059 km)}{2 hr} = 25.318 \times 10^3 km/hr

Q2

- (a) 1. low earth orbits (LEO)
- 2. Medium earth orbits (MEO).
- 3. Geostationary orbit.

- (b) 1. equatorial orbit.
- 2. polar orbit.
- 3. inclined orbit.

(c) apogee: is the farthest point of the satellite path ~~from the sat plane~~ according to earth's equatorial plane.

inclination: is the angle measured eastward, in the earth's equatorial plane ~~from~~ ^{at the} ascending node to the ~~satellite orbital plane~~ from east to north.

ascending node: ~~the point in the equatorial plane, measured~~
~~the point of the satellite plane that lies~~
 the point of the satellite plane that lies in the equatorial plane measured when the sat goes from ~~north to east~~ south to north.

retrograde orbit: the orbits ~~which~~ rotate in a direction ~~of~~ opposite to the earth rotation direction (inclination angle $90^\circ \leq i \leq 180^\circ$).

- (a) semimajor axis, (e) eccentricity, (i) inclination, pergee

right ascension of the ascending node, true anomaly

Q3

soln:

$\phi_E = 32$
 $\phi_E = 36$
 $\phi_{SS} = 26^\circ$

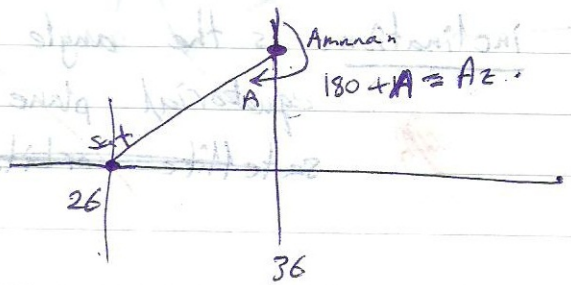
$B = \phi_E - \phi_{SS} = 36 - 26 = 10^\circ$

$b = \arccos(\cos 10 / \cos 32) = 33.37^\circ$

$A = \arcsin\left(\frac{\sin(10)}{\sin(33.37)}\right) = 18.4^\circ$

$A_z = 180 + A = 198.4^\circ$

A_E	B	A_z
< 0	< 0	A
< 0	> 0	$360 - A$
> 0	< 0	$180 - A$
> 0	> 0	$180 + A$



3

$$d = \sqrt{R^2 + a_{GSO}^2 - 2Ra_{GSO} \cos \theta}$$

$\begin{matrix} \uparrow & & \uparrow & & \downarrow \\ 6370 & & 42164 & & 33.37^\circ \end{matrix}$

$$d = 37010.4 \text{ km} \quad \rightarrow 36000 \text{ km!}$$

$$E_1 = \arccos\left(\frac{a_{GSO} \sin \theta}{d}\right) = 51.2^\circ$$

Q4 $D = 6 \text{ m}$ $\eta = 0.6$

$$A_{\text{physical}} = \frac{\pi D^2}{4} = 9\pi = 28.274 \text{ m}^2$$

$$A_{\text{effective}} = \eta A_{\text{physical}} = 0.6 \times 28.274 = 16.965 \text{ m}^2$$

$$G = \frac{4\pi A_{\text{eff}}}{\lambda^2} \quad \Rightarrow \quad \lambda = \frac{c}{f} = \frac{3 \times 10^8}{12 \times 10^9} = 0.025 \text{ m}$$

$$G = 341.1 \times 10^3$$

$$\text{HPBW} = 70 \frac{\lambda}{D} = 0.2917^\circ$$

Q5

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1. atmosphere losses.
 2. ionosphere losses.
 3. ~~rain~~ losses.
 4. ~~ice & snow~~ losses.
 3. heavy rain, ice & snow losses.
 4. ~~sky~~

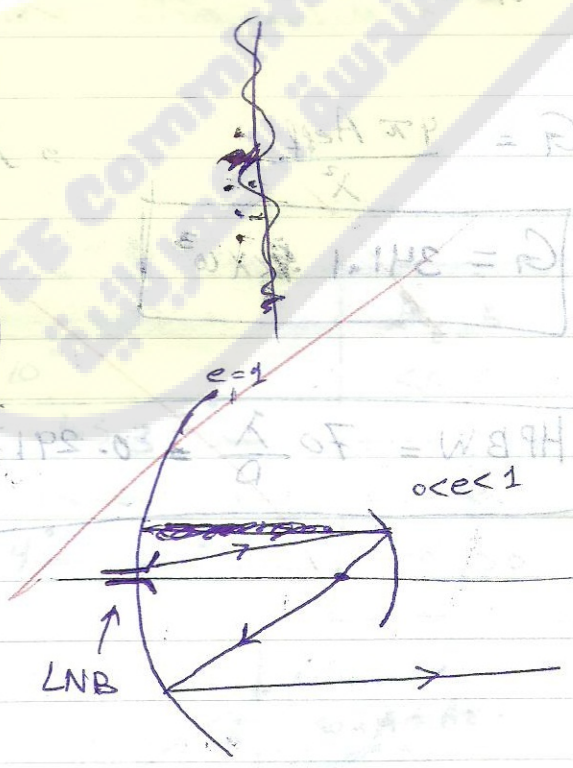
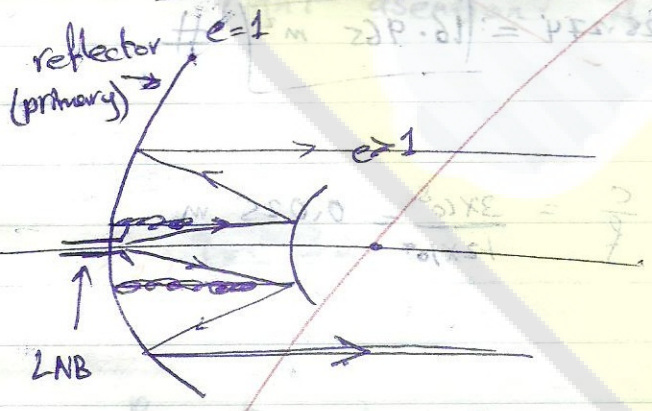
10

1. Linear polarization.
2. Elliptical polarization (circular polarization).

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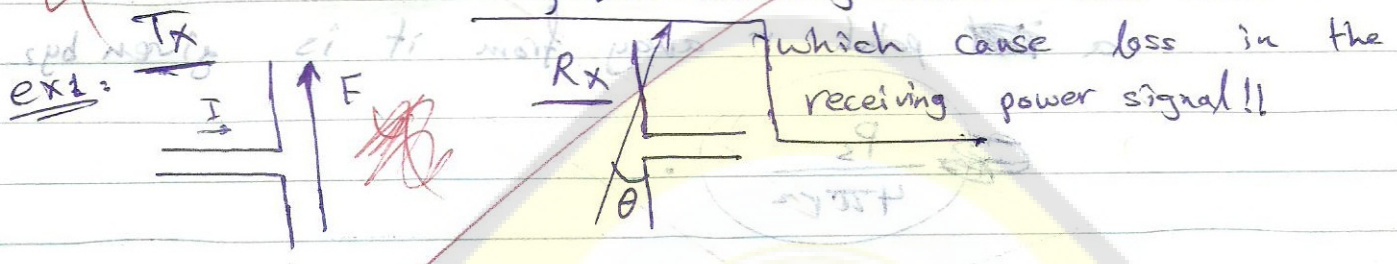
1- Cassegrain

2. Gregorian



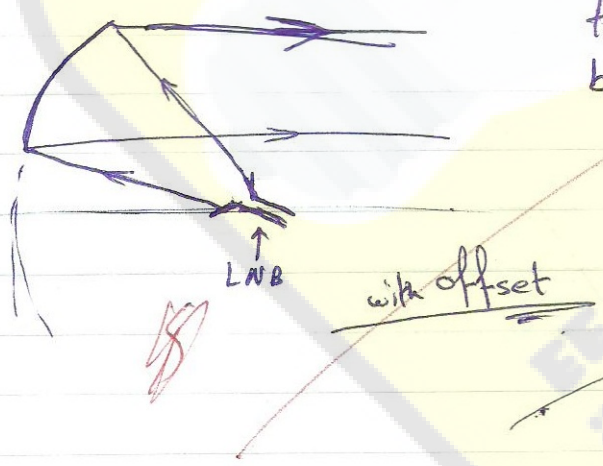
~~z.t~~

d) polarization loss: The polarization type of the transmitting & the receiving antenna not the same

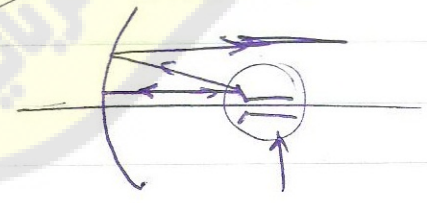


ex2: one antenna RHC polarized & the other is LHC polarized.

offset feed:



the advantage is there is no blockage wave.



blocks about 10% of the wave.

6

Isotropic antenna: An antenna that radiate the wave equally in all directions. & its power at a point r away from it is given by:

$$\frac{P_s}{4\pi r^2}$$

$$\text{XPD} = 20 \log \frac{E_{11}}{E_{12}} \text{ dB}$$

which can be determined by θ_f : Faraday's angle

